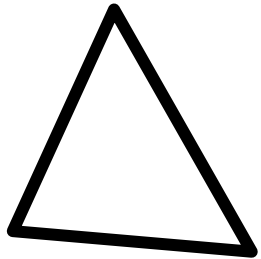
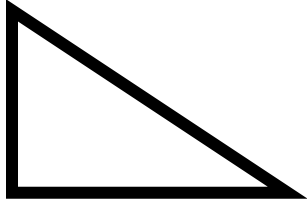
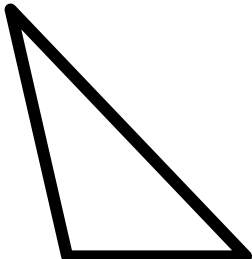
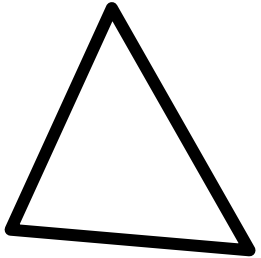
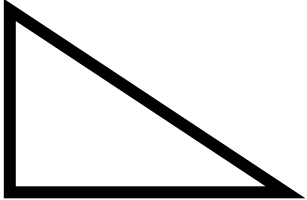
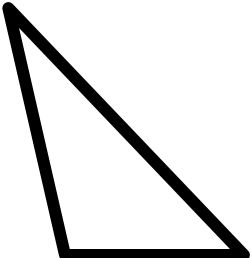


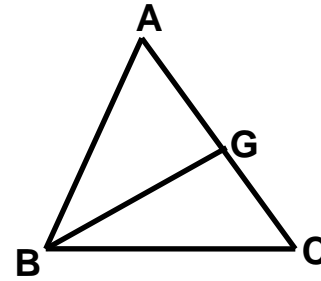
TOPIC 5-4: Special Segments in a Triangle (Watch Video)

| Segment Name | Definition | ACUTE | RIGHT | OBTUSE |
|----------------------|--|---|--|--|
| M Median | A segment from the vertex of the triangle to the midpoint of the side opposite of that vertex. |  |  |  |
| A Altitude | A segment from the vertex of the triangle and must be perpendicular to the opposite side. This segment does not have to bisect the other side. |  |  |  |

EXAMPLE 1

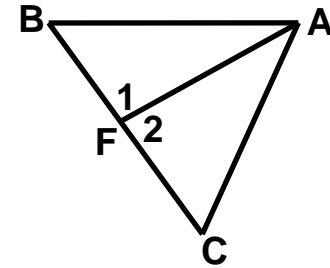
\overline{BG} is a median. Find AC if $BG = 4x + 10$,

$AG = 6x + 4$, $CG = 7x - 5$.

**EXAMPLE 2**

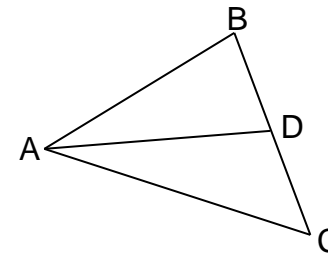
Given that \overline{AF} is an altitude, find the value of x if

$m\angle 1 = (8x + 18)^\circ$.

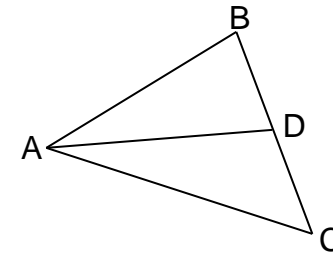


EXAMPLE 3

Given $\triangle ABC$ with median AD . If $BD = 10x - 6$, $DC = 6x + 10$, and $AD = 3x - 5$, find the length of BC .

**EXAMPLE 4**

Given $\triangle ABC$ with altitude AD , find the value of “ x ” if $m\angle ADC = (5x-5)^\circ$.

**EXAMPLE =5**

\overline{AD} serves as both a median and an altitude. Find the value of CD if $m\angle ADB = (6x+12)^\circ$ and $DB = 2x+10$.

