## TOPIC 2-2: ANGLE PAIRS

Not all intersecting lines form right angles, but they do form four angles that have special relationships:

| TERM | DEFINITION | PICTURE |
| :---: | :---: | :---: |
| Vertical Angles | Two non-adjacent angles formed by intersecting lines. Vertical angles are ALWAYS $\qquad$ | $\angle 1 \& \angle 2$ are vertical angles. |
| Linear Pair | Adjacent angles whose noncommon sides are opposite rays. The sum of the measure of the angles in a linear pair is $\qquad$ $\circ$. <br> So a linear pair is one example of $\qquad$ angles. |  |
|  |  | $\angle \mathrm{COB}$ and $\angle \mathrm{BOA}$ are a linear pair. |

## PRACTICE 1

$\overleftrightarrow{A C}$ and $\overrightarrow{\mathrm{DE}}$ intersect at $B$. Find $\mathbf{x}$.


Type: $\qquad$
$x=$ $\qquad$

| TERM | DEFINITION | PICTURE |
| :---: | :---: | :---: |
| Adjacent Angles <br> (always a PAIR) | Angles that have a common <br> and <br> no common interior points. | but |



PRACTICE 2
$\overleftarrow{\mathrm{GH}}$ and $\overleftarrow{\mathrm{K}}$ intersect at I . Find the measure of $\angle \mathrm{KIH}$.


Type:
$\mathrm{m} \angle \mathrm{KIH}$ : $\qquad$

## PRACTICE 3

LM and UV intersect at B. Find the m $\angle$ LBU. *careful*


## Type:

m $\angle \mathrm{LBU}$ : $\qquad$
$\xrightarrow{\text { PRACTICE }} 4$
$\overleftrightarrow{\mathrm{LN}}$ and $\overleftrightarrow{\mathrm{OP}}$ intersect at M . Find the measures of $\angle \mathrm{LMO}$ and $\angle \mathrm{OMN}$.


Type: $\qquad$
m $\angle \mathrm{LMO}$ : $\qquad$ m $\angle O M N$ : $\qquad$

## PRACTICE 5

$\overleftrightarrow{\mathrm{LN}}$ and $\overleftrightarrow{\mathrm{OP}}$ intersect at M . Find the measures of $\angle \mathrm{LMO} \& \angle O M N$.


Type: $\qquad$
$\mathrm{m} \angle \mathrm{LMO}$ : $\qquad$ m $\angle O M N$ :

PRACTICE 6
Find all of the missing angles.
$m \angle 1=$ $\qquad$
$m \angle 2=$ $\qquad$
$m \angle 3=$ $\qquad$
$\mathrm{m} \angle 4=$ $\qquad$


