SPECIAL SEGMENTS IN TRIANGLES CONTINUED

Based on the markings below, tell whether \overline{AB} in each triangle is a:

- A. Angle Bisector
- B. Median
- C. Altitude
- D. Perpendicular Bisector

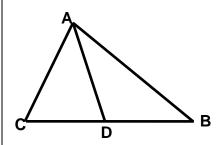
List all that apply.

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1.	A B	
2.	A B	
3.	A B	
4.	A B	
5.	A B	
6.	A B	

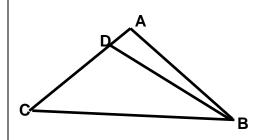
Find the indicated values.

7.	BD =		

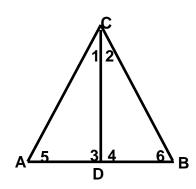
 \overline{AD} is a median in $\triangle ABC$, if BD = 5x - 3, CD = 2x + 12, and AC = 8x - 14. Find the length of all three segments.



BD is an altitude in $\triangle ABC$, find the value of 'x' if m $\angle ADB = (6x+12)^{\circ}$.



 \triangle ABC is an isosceles triangle with vertex angle C and altitude CD. Find the measures of $\angle 1, \angle 2, \angle 3, \angle 4, \angle 5$ and $\angle 6$ if m $\angle 1 = 6x + 7$ and m $\angle 2 = 3x + 16$.



10	Suppose \overline{BE} is an altitude and m $\angle A = 30^{\circ}$. Find m \angle ABE.
	A E
11. AC =	Suppose $\triangle ABC$ is isosceles and \overline{BE} is an angle bisector of vertex angle B. If $CE = 3x + 34$, $AE = 7x + 14$ then find the length of \overline{AC} .
	$A \stackrel{B}{\longleftarrow} C$
12. EC =	Suppose \overline{BE} and \overline{CD} are medians. If AD = 8x-6, AE = 5x - 4 and BD = 4x+2, then find EC.
	C B B

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13. AD =	Given that $\overrightarrow{AD} \perp \overrightarrow{BA}$ and $\overrightarrow{CD} \perp \overrightarrow{BC}$, \overrightarrow{BD} bisects \angle ABC, and CD = 21.9, find AD.
14. m∠CBD =	Given that AD = 61, CD = 61, and m \angle ABC = 48°, find m \angle CBD.
15. m∠DBC =	Given that DA = DC, m \angle DBC = (10y + 3)°, and m \angle DBA = (8y + 10)°, find m \angle DBC.

Choose the best answer choice for the following.

